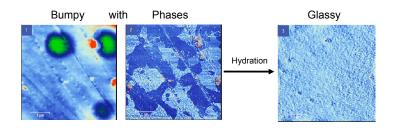
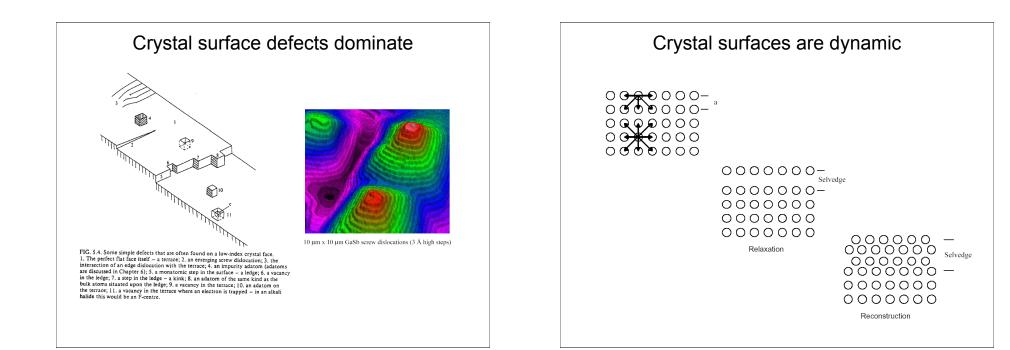


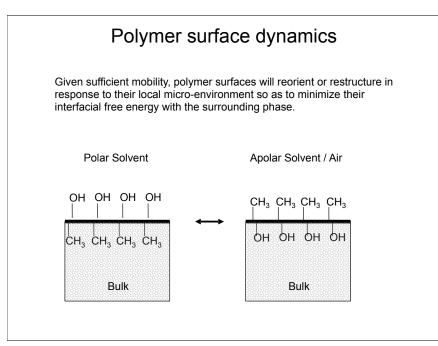
Physical description of biomaterial surfaces

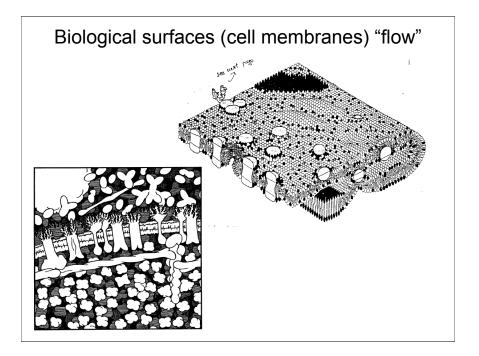
Biomaterial surfaces exhibit remarkable heterogeneity in physical structure:

<u>Material dependant</u>: Metals vs. Polymers vs. Ceramics vs. Gels <u>Chemistry</u>: Polar vs. Apolar, Charge, Reactivity, Patterned <u>Morphology</u>: Smooth, Rough, Stepped, Patterned, Diffuse <u>Order</u>: Crystalline, Amorphous, Semi-Crystalline, Phases <u>Environment</u>: Hydration, Solvent Quality





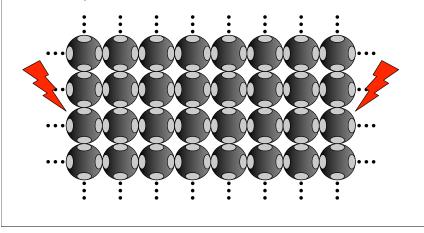




Surface energetics is different from bulk

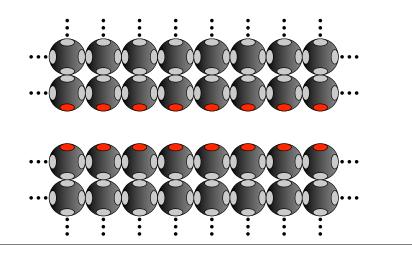
Molecules in the bulk of a material (e.g. crystal lattice) have a low relative energy state due to nearest neighbor interactions (e.g. bonding).

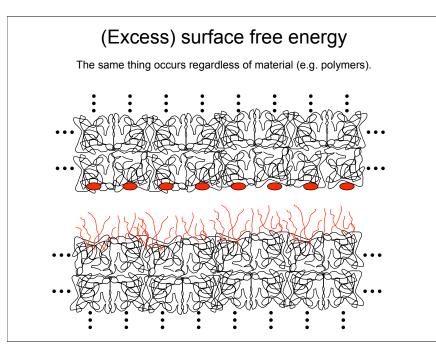
Performing sufficient work on the system to create an interface can disrupt this harmony...



(Excess) surface free energy

Molecules at a surface are in a state of higher free energy (why "FREE" energy"?) than those in the bulk. This is in large part due to the lack of nearest neighbor interactions at a surface.





Important point: free energy goes to minimum at equilibrium Systems move toward lowering their free energy Surfaces do so by: Geometric changes (minimizing area if possible) Binding (adsorption interactions) OH OH Dynamic rearrangement

Surface energy and tension in liquids

In order to develop some concepts related to surfaces we will first look at the surface properties of liquids.

The work (w) required to create a new surface is proportional to the # of molecules at the surface, hence the area (A):

$$\delta w = \gamma \times \delta A$$

Where γ is the proportionality constant defined as the specific surface free energy. It has units of (force/length, mN/m) or (energy/area, mJ/m²).

 γ acts as a restoring force to resist any increase in area, for liquids it is numerically equal to the surface tension.

Surface tension acts to decrease the free energy of the system by minimizing the area, hence some observed effects:

- liquid droplets form spheres
- · meniscus effects in capillaries

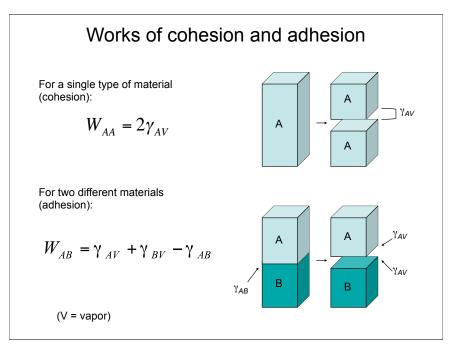
Surface energy and tension of solids

Problem:

Solid surfaces have well defined surface free energy, however, the surface tension of solids is experimentally inaccessible (or very difficult to measure).

Why?

Creation of new area in a solid is not reversible – you end up stretching or cleaving the sample. Interfacial stress during elastic enlargement can be measured and related to interfacial tension only if the relationship of interfacial tension as a function of strain is independently known.



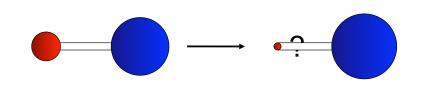
The Young-Laplace equation

The pressure difference (Δp) across the surface of a liquid is related to the surface curvature:

$$\Delta p = \gamma \left(\frac{1}{R_1} + \frac{1}{R_2} \right)$$

for the radius of curvature in directions $1/(R_1)$ and $2/(R_2)$. Hence γ is balanced by Δp , or the surface tension tends to compress the droplet, increasing the internal pressure.

An interesting consequence:



Gibbs-Kelvin equation

One can relate the change in pressure due to surface tension to thermodynamic properties in order to obtain:

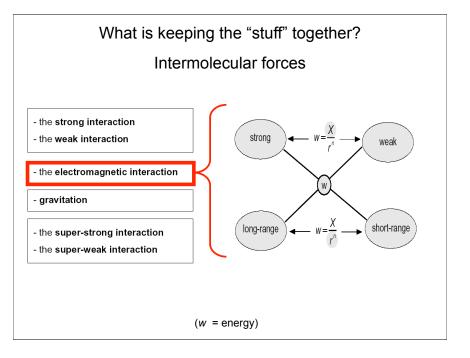
$$RT \ln \left(\frac{p}{p_o} \right) = \gamma V_L \left(\frac{1}{R_1} + \frac{1}{R_2} \right)$$

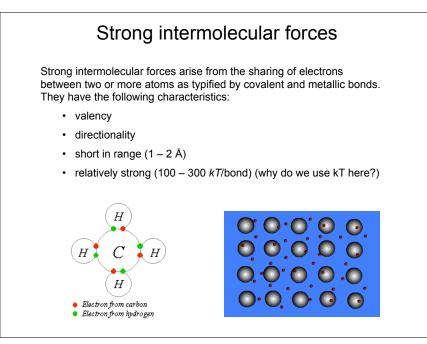
Where *R* is the gas constant, *T* is the absolute temperature, V_L is the molar volume of the liquid (weight divided by density), *p* is the vapor pressure at curved interfaces and p_o is the vapor pressure at flat interfaces respectively.

One consequence of G-K equation is that small liquid droplets evaporate faster (because higher vapor pressure) than flat liquid surface.

Young-Dupre equation For a small droplet of a liquid (1) on a solid or liquid (3) in the presence of vapor or liquid (2). γ_{12} From a balance of forces: Liquid 2 γ_{23} $\gamma_{23} = \gamma_{12} \cdot \cos \theta_1 + \gamma_{13} \cdot \cos \theta_2$ (a) Liquid 1 Liquid 3 Y13 or, when the surface is rigid: Liquid 2 Liquid 1 γ_{23} $\gamma_{23} = \gamma_{12} \cdot \cos \theta_1 + \gamma_{13}$ γ₁₃ Solid 3 Measurement of contact angles is a useful tool for probing surface energetics. More on this in Lecture 2.

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Charge-charge interaction

lonic bonds are an example of the interaction of permanent charges. The force (F) resulting from two point charges is given by Coulomb's Law:

$$F(r) = \frac{Q_1 Q_2}{4\pi \varepsilon_o \varepsilon r^2}$$

where point charges Q_1 and Q_2 are separated by distance *r* in a medium of dielectric permittivity ε . The interaction energy is:

$$U(r) = \frac{Q_1 Q_2}{4\pi \varepsilon_o \varepsilon r}$$

Coulombic forces are very long ranged $(1/r^2)$, however they are usually screened by closely associated ions of opposite charge. They can also be relatively strong bonds (200 kT in ionic crystal such as NaCl)

Charge - dipole interactions

Electrostatic interaction also result from charge sharing of permanent charges with dipoles. Assuming a fixed point dipole approximation, the interaction energy (U) resulting from this case is:

where point charge Q and dipole *p* (*p*=*dipole moment*) are separated by distance *r* in a medium of dielectric permittivity ε and the dipole is oriented at an angle of incidence θ .

Note that the charge – dipole interaction force falls off $\propto 1/r^3$ for the fixed case and $\propto 1/r^5$ for the rotating case.

Dipole - dipole interactions

The interaction between dipoles is of short range:

$$U(r) \propto \frac{1}{r^3} to \frac{1}{r^6}$$

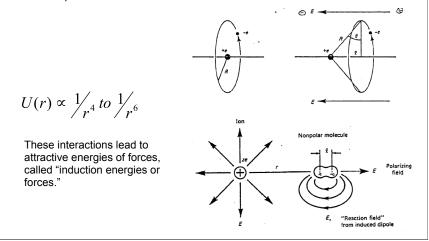
The case of <u>two freely rotating dipoles</u> is known as *Keesom energy*. These energies are in the range of kT and fall-off with $1/(r^{6})$ power of distance (often called "orientation energies or forces".)

$$\frac{p_{1}}{p_{2}} = \frac{p_{1}}{p_{2}} \frac{\psi}{p_{2}} = \frac{\psi}{p_{1}} \frac{p_{2}}{p_{2}} \left[\frac{2}{\omega} \Theta_{1} \cos \Theta_{2} - \frac{1}{\omega} \right] - \frac{1}{\omega} \frac{1}{2} \cos \phi \left[\frac{4\pi}{4\pi} \varepsilon_{0} \varepsilon r^{3} - \frac{1}{\omega} \Theta_{1} \sin \Theta_{2} \cos \phi \right] / 4\pi \varepsilon_{0} \varepsilon r^{3}$$

$$\frac{Q_{1}}{2} = -\frac{1}{2} \frac{Q_{2}}{p_{2}} - \frac{1}{2} \frac{Q_{2}}{p_{2}} - \frac{1}{2} \frac{Q_{2}}{p_{2}} \frac{Q_{2}}{2} \left[\frac{4\pi}{2\pi} \varepsilon_{0} \varepsilon \right]^{2} kT r^{6}$$

Induced dipoles

Even non-polar molecules are polarizable (what does it mean?) ! Displacement of the electron cloud in the presence of an electric field leads to polarization.



London ("dispersion") interactions

These are long range forces arising between non-polar molecules that are quantum mechanical in origin. At any moment there is a finite dipole moment derived from the instantaneous position of the electrons around the nucleus. Two neighboring electron clouds thus "feel" each other at any instant of time. This leads to an ATTRACTIVE force! The timeaverage of this force is finite. Like "orientation" and "induction" energies , the "dispersion" interaction ennergies also fall off with the inverse 6th power of distance.

It seems counterintuitive, but London forces dominate for large molecule / surface interactions. Why are they called "dispersion energies of "???

